

# Design of robust pattern classifiers based on optimum-path forests

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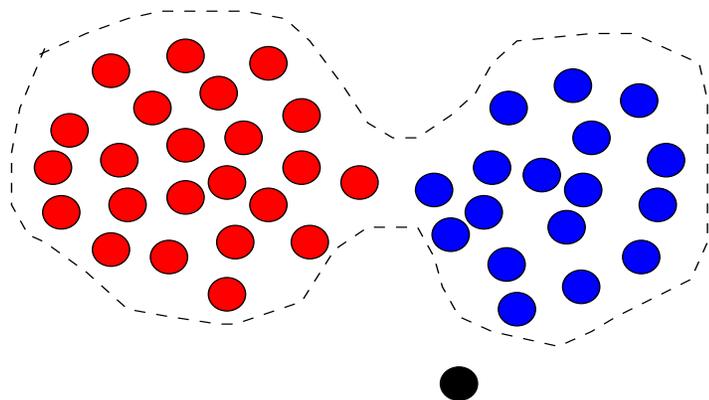
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# Presentation Overview

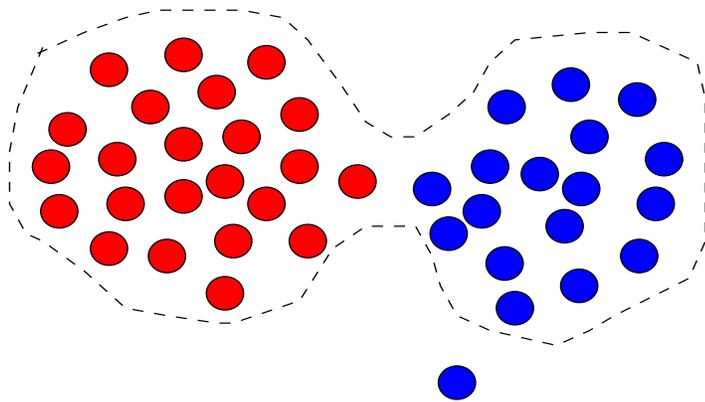
- Introduction
- OPF
- Experimental Results
- Conclusion and future work

# Introduction



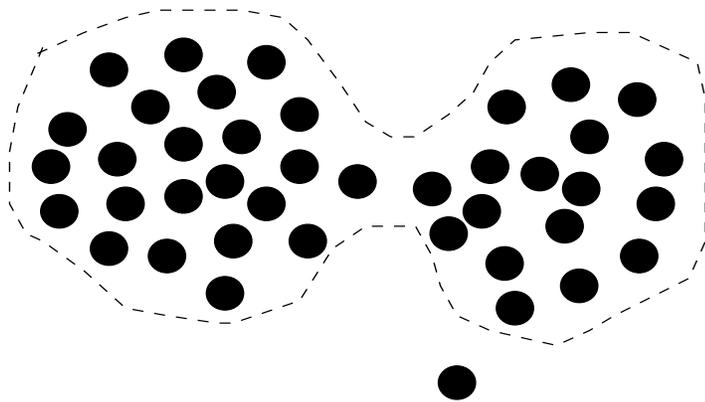
● Problem ( $Z_1$  and  $Z_2$ )

# Introduction



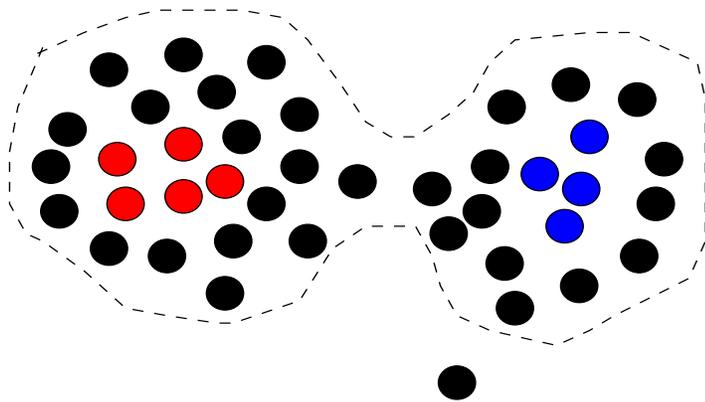
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- Pattern classification

# Introduction



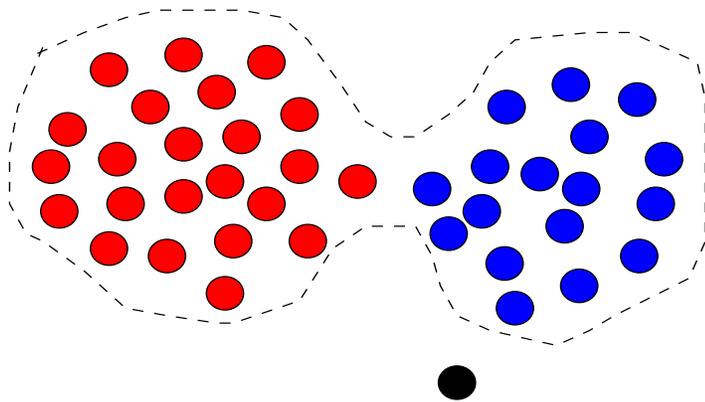
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- Pattern classification
- Unsupervised classification

# Introduction



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- Semi-supervised classification

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- Problem ( $Z_1$  and  $Z_2$ )
- Pattern classification
- Unsupervised classification
- Semi-supervised classification
- Supervised classification

# Motivation

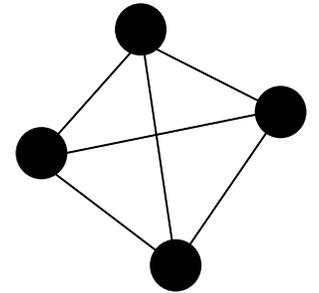
- To propose a new supervised classifier based on optimum path forest
- Support Vector Machines (SVM)
  - binary classifier
  - high dimensional space
- Artificial Neural Networks with Multilayer Perceptron (ANN-MLP)
  - unstable classifier
  - slow convergence

# Optimum Path Classifier - OPF

- Watershed computed by the Image Foresting Transform (IFT) with markers obtained from  $Z_1$  (training set) in the feature space

## Modeling the problem

- samples are the nodes of the graph
- adjacency relation: complete graph
- arc weight  $w(s, t) = d(\vec{s}, \vec{t})$
- path-cost function  $f_{max}$
- prototypes (markers) set  $S$ .



# Optimum Path Forest - OPF

Supervised pattern classifier with 2 phases:

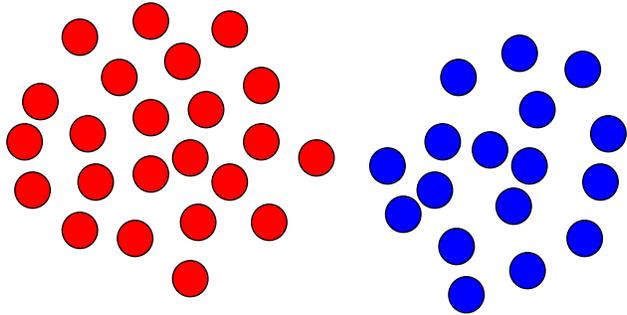
- Training: forest computation
- Unseen test: nodes are added to the forest, classified and removed

Main question in the training phase: how to choose the prototypes set  $S$ ?

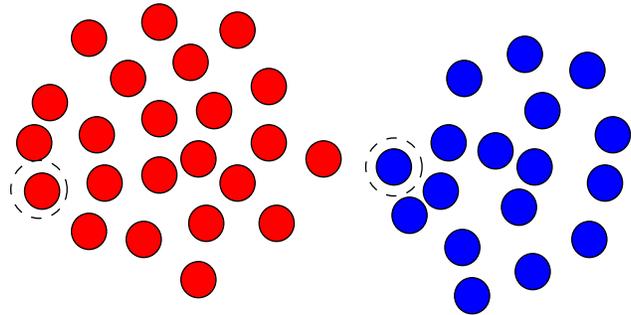
- random choice
- density choice
- minimum spanning tree (MST) choice

# Training phase

● Samples

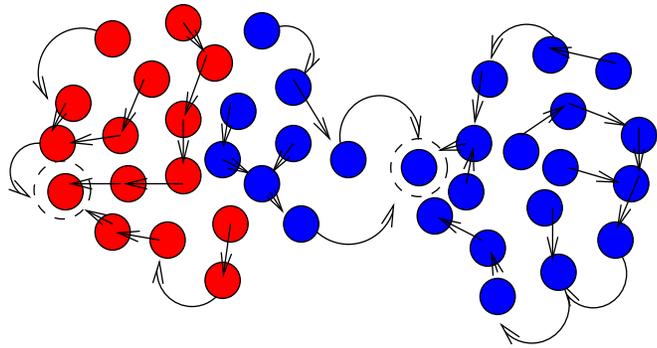


# Training phase



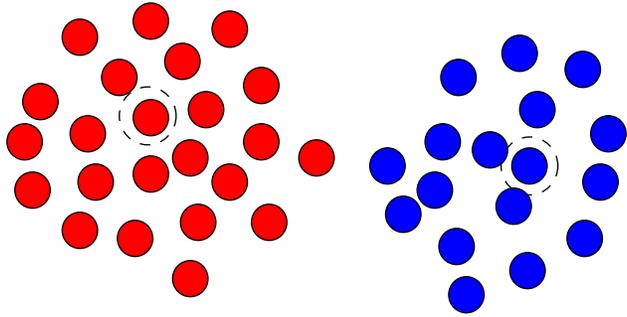
- Samples
- Random choice

# Training phase



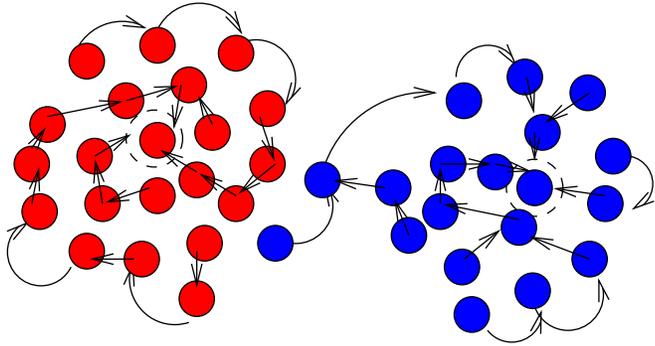
- Samples
- Random choice
- Random choice result

# Training phase



- Samples
- Random choice
- Random choice result
- Density choice

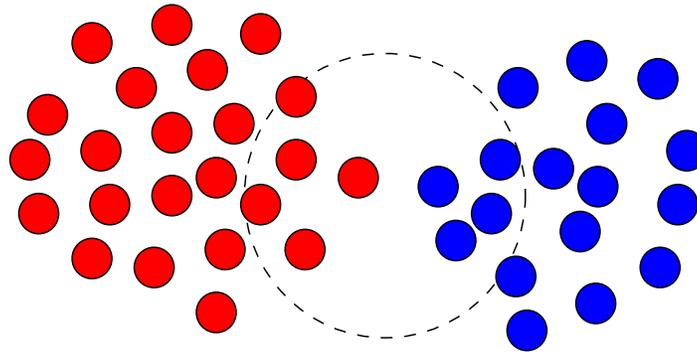
# Training phase



- Samples
- Random choice
- Random choice result
- Density choice
- Density choice result

# Training phase

Goal: to achieve zero error in the training set. How ??



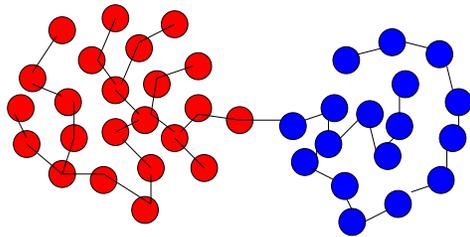
Problem region

To put prototypes inside the problem region! How can we identify them?

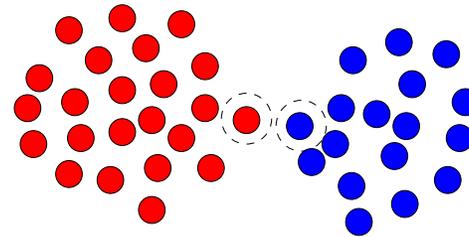
# Training phase

## MST approach

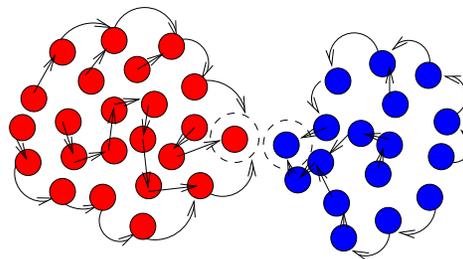
- sum of the weights of the edges is minimum
- each pair of nodes is connected by an optimum path



(a) MST



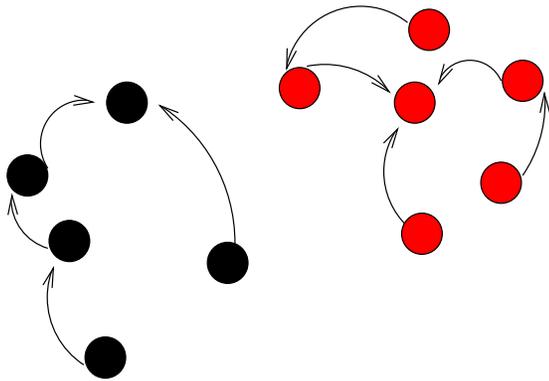
(b) Prototypes chosen by the MST



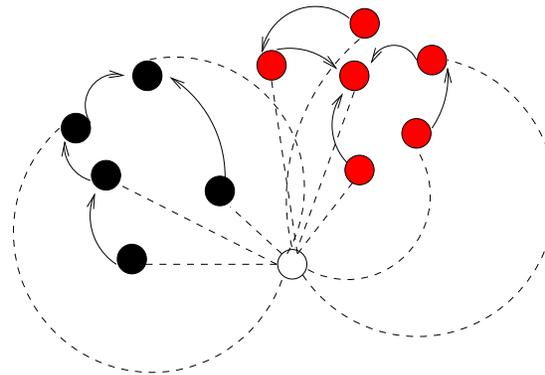
OPF nodes classification result

# Test phase

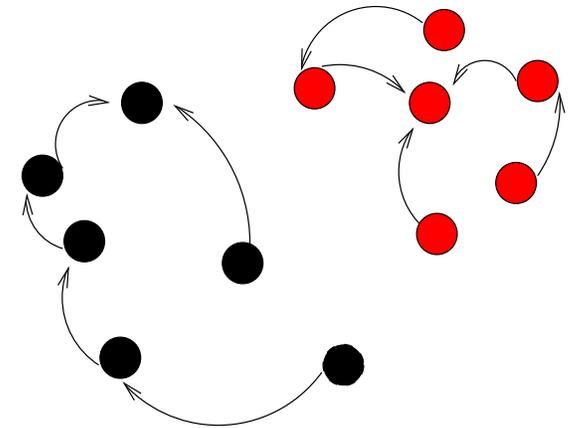
- unseen samples are tested individually



(a) Optimum path forest



(b) Test sample



(c) Classification result.

# Experimental Results

We performed tests in 16 databases:

- MPEG-7: shape database containing 1400 objects equally distributed in 70 classes.



Fish 1



Fish 2



Chicken 1



Chicken 2

- Corel: database containing 1607 images of several objects distributed in 49 classes.



Ski 1



Ski 2

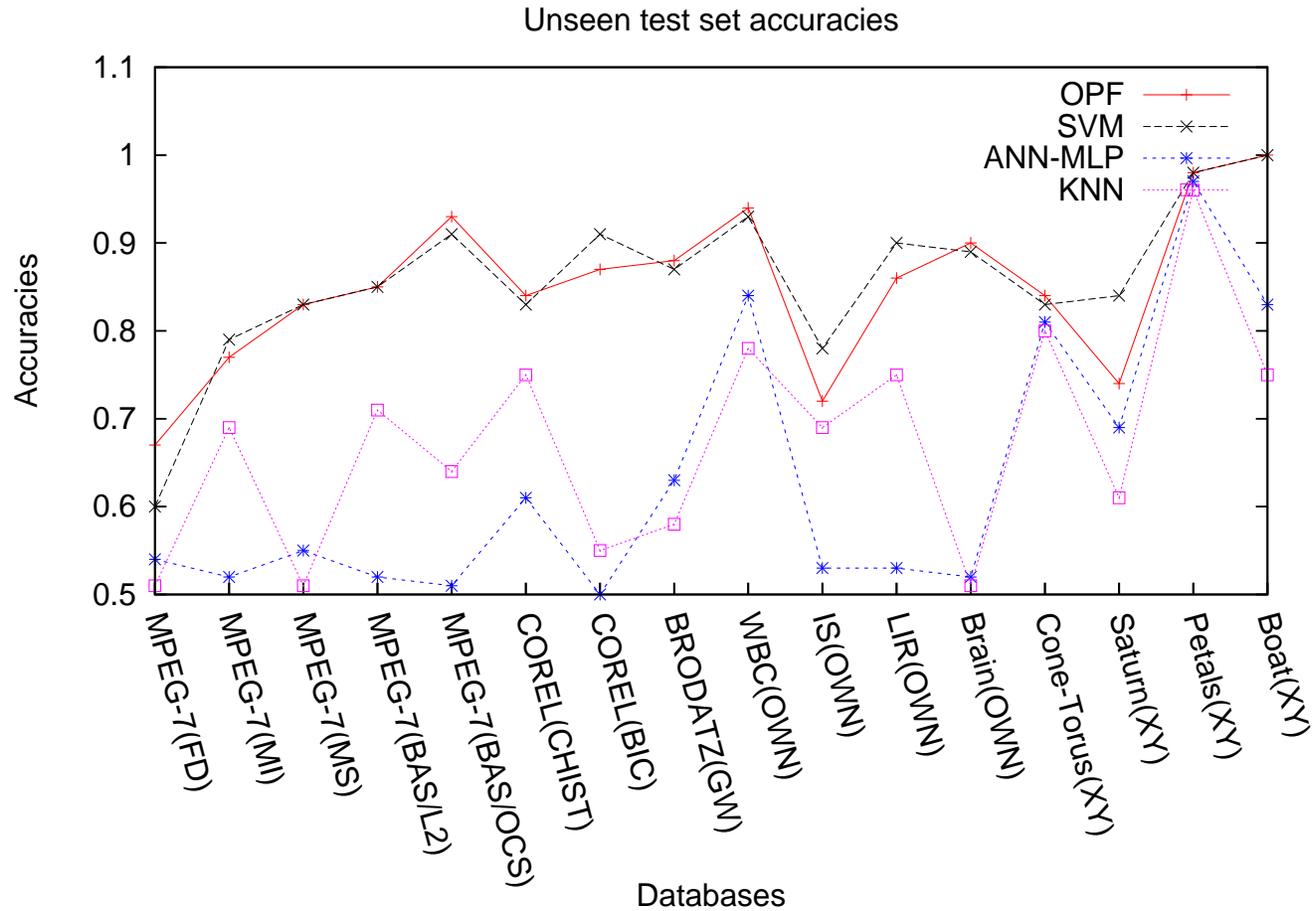


Pumpkin 1



Pumpkin 2

# Experimental Results



OPF: 9 wins, 1 tie and 6 loses

# Learning approach

How can we make sure that a classifier can learn with its own errors without increasing the training set size?

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- $Z_2$ : evaluation set
- Learning algorithm: to identify more informative samples
- Replacements between samples and errors
- OPF is designed in  $Z_1$  (training set) and  $Z_2$  (evaluation set) and tested in the unseen  $Z_3$  (test set)

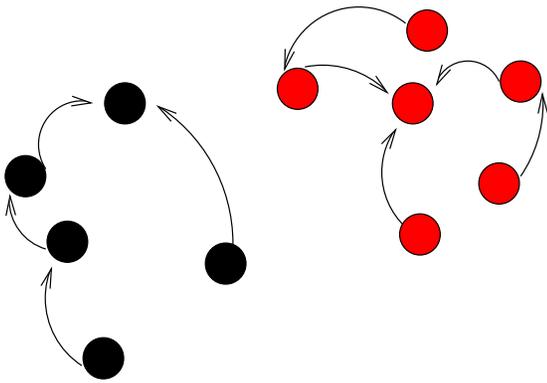
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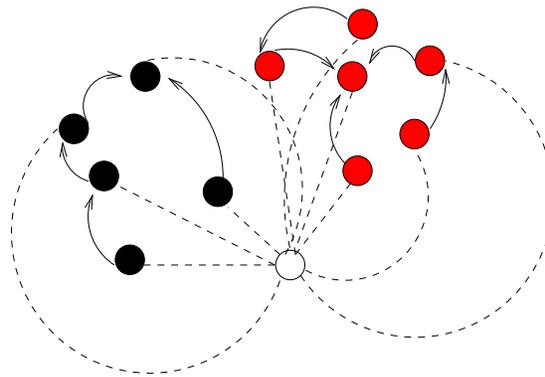
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# Test phase

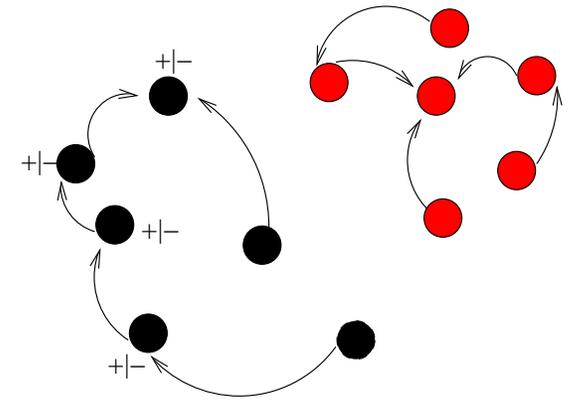
- unseen samples are tested individually
- relevance number
- irrelevant nodes



(a) Optimum path forest



(b) Test sample

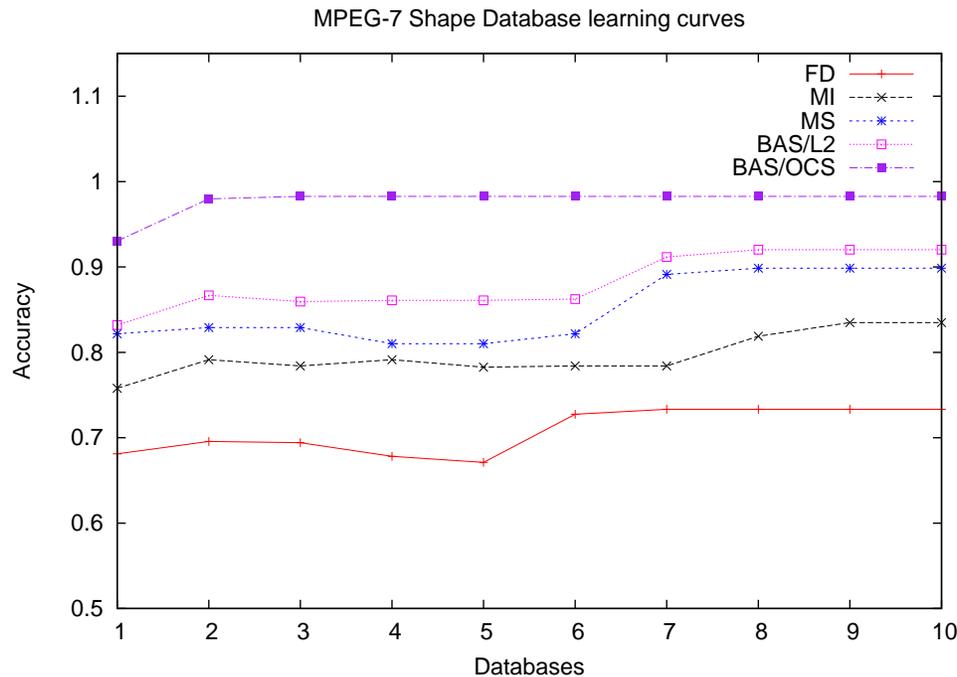


(c) Reward/Penalty.

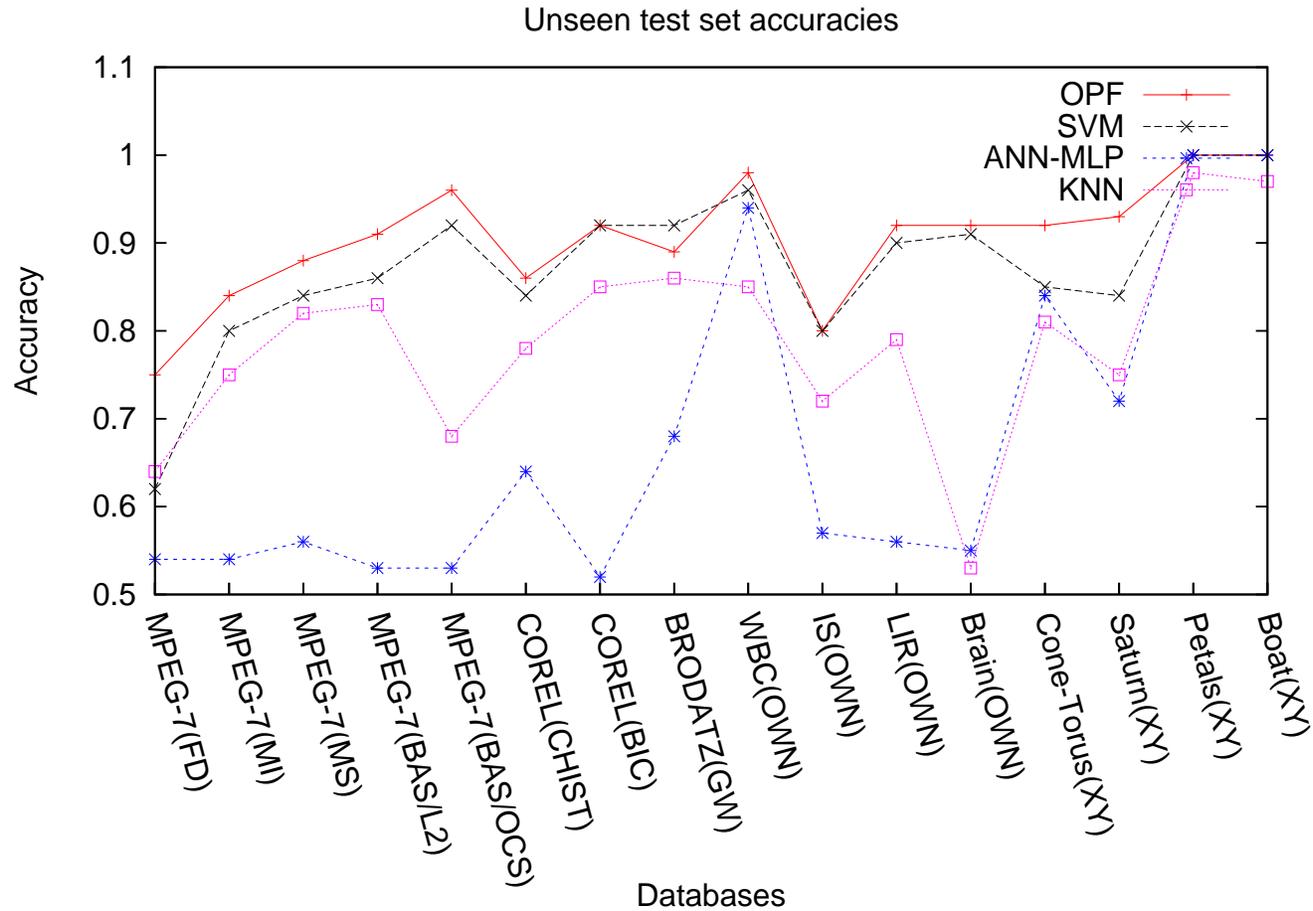
# Learning algorithm

## Algorithm:

1. For  $I$  from 1 to  $N$  do
2. Build the classifier using the OPF algorithm (MST in  $Z_1$ ).
3. Classify samples in  $Z_2$  and compute the relevance number for each sample in  $Z_1$ .
4. Replace misclassified elements in  $Z_2$  by irrelevant (not prototypes) in  $Z_1$ .
5. If there exists irrelevant elements in  $Z_1$ , replace them by random samples from  $Z_2$ .

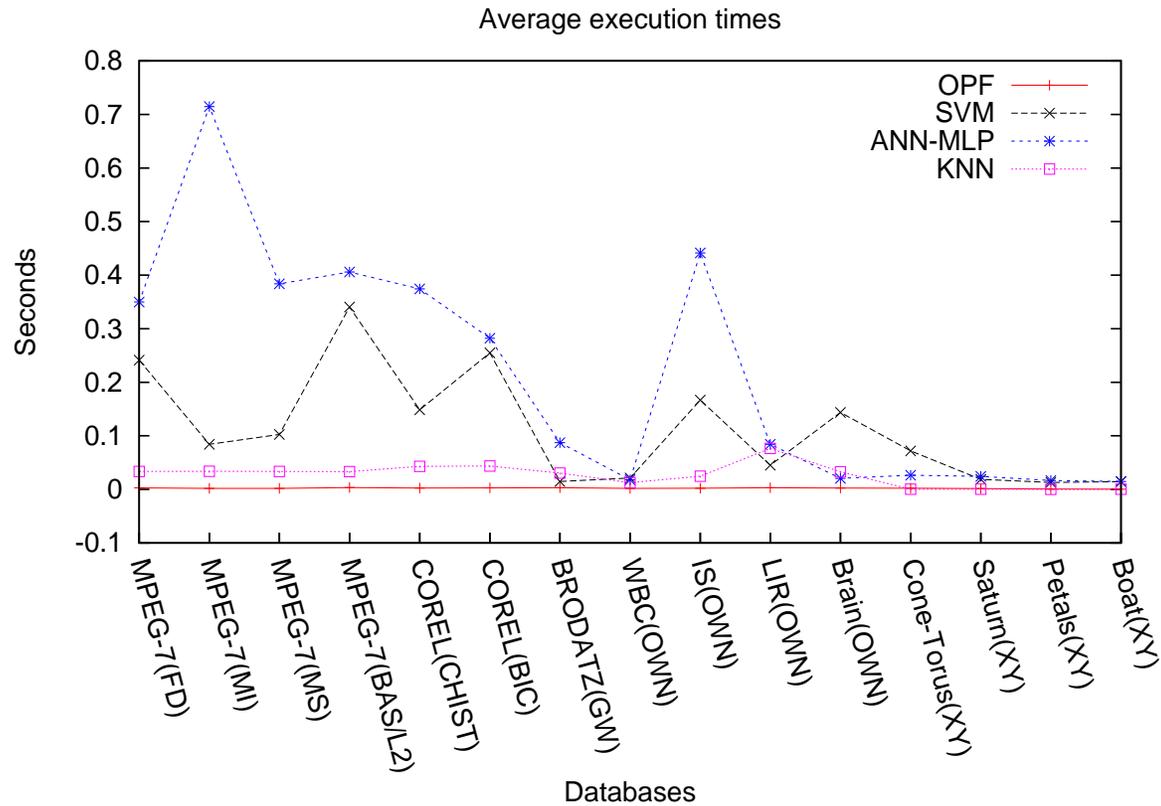


# Experimental Results



OPF: 11 wins, 4 ties and 1 lose

# Execution Times



The OPF was 47.21 times faster than SVM, 98.71 times faster than ANN-MLP and 7.81 times faster than KNN.

# Conclusion and future works

- OPF is a new promising tool for supervised pattern recognition
- Faster than the tested approaches
- Similar to SVM (at least)
- Descriptor combination by genetic programming
- New path-cost functions