# On the preferential occurrence of interplanetary shocks in July and November: Causes (solar wind annual dependence) and consequences (intense magnetic storms)

#### E. Echer and W. D. Gonzalez

Geofísica Espacial, Instituto Nacional de Pesquisas Espaciais, São José dos Campos, Brazil

#### B. T. Tsurutani

Jet Propulsion Laboratory, California Institute of Technology, Pasadena, California, USA

#### L. E. A. Vieira, M. V. Alves, and A. L. C. Gonzalez

Geofísica Espacial, Instituto Nacional de Pesquisas Espaciais, São José dos Campos, Brazil

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[1] An annual dependence of interplanetary shock rate near 1 AU was found with preferential shock occurrence in July and in November. Although a solar origin for this dependence can not be discarded, it is shown that at least part of this shock distribution can be explained or caused by the annual dependence of solar wind parameters. Such annual dependence in plasma and magnetic field parameters makes the shock formation easier, in the second half year, due to the lower average solar wind bulk and characteristic speeds (Alfvenic and magnetosonic). These asymmetric interplanetary space propagation conditions are probably due to the Earth being exposed to solar wind from different solar magnetic hemispheres in both half years. Furthermore, the peaks in shock distribution are coincident with the peaks in the very intense geomagnetic storms distribution found by *Clúa de Gonzalez et al.* [2001]. It is suggested that the irregularity in geomagnetic activity is associated with the shock rate annual dependence. These results might imply that solar wind emitted from the opposite solar magnetic hemispheres has slightly different properties.

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#### 1. Introduction

[2] Since solar wind was discovered, more than 40 years ago, several studies have confirmed the existence of periodicities on timescales of 27 days, the solar rotation period [Neugebauer and Snyder, 1965], and of the 11-year solar cycle [Neugebauer, 1975; Gazis, 1996] on solar wind parameter variations. Intermediate periodicities between these two extremes have been studied only more recently. Bolton [1990] reported a 1-year variation in solar wind proton density  $N_p$  and speed  $V_{sw}$  close to Earth's orbit, which he attributed to an internal oscillation in the Sun or to the cometary's mass injection in the solar wind. Later, Richardson et al. [1994] and Gazis et al. [1995], from observations varying from  $\sim$ 0.72 to  $\sim$ 42 AU using several spacecrafts, found a 1.3-year period in solar wind variation whose origin was attributed to a possible oscillation in the Sun. However, the authors also comment that the explanation could be more complex. More recently, Zieger and Mursula [1998] have found a very clear annual variation in

the solar wind speed. During the solar minima years 1965-1966 and 1987-1988 a semiannual variation is observed, and in solar minima years 1975-1976 and 1994-1995 an annual variation (with maxima around the March equinox) is found. Zieger and Mursula [1998] also believed that this annual variation exists only in solar minimum; that is, it is absent during solar maximum conditions. This annual variation was attributed by those authors to the orbital Earth's motions in a solar wind emitted from asymmetric solar magnetic hemispheres. Paularena et al. [1997] and Szabo et al. [1996], using 20 years of IMP 8 data, verified the existence of an annual variation for solar wind proton density, solar wind proton temperature  $(T_p)$ , and solar wind speed.

[3] A semiannual variation in  $V_{\rm sw}$  is expected with maximum around equinoxes (epoch when the Earth reaches maximum heliographic latitudes), and it is the basis of the axial mechanism explaining the semiannual variation in geomagnetic activity [Priester and Cattani, 1962; Russell and McPherron, 1973]. However,  $V_{\rm sw}$  asymmetries were observed long ago by Hundhausen et al. [1971] when studying Vela solar wind observations during 1965–1968. They noted that the average  $V_{\rm sw}$  was faster above the

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heliographic equator (in September) than below it (around March). It was suggested by them that a higher value of transient solar activity in the northern solar hemisphere could be the cause of their observations. However, recent works seem to show that the asymmetry is a persistent feature of the heliosphere, and it is not directly related to the solar activity [Zieger and Mursula, 1998].

[4] The above mentioned studies have focused mainly on the solar wind parameters. Neither propagation conditions for shocks nor the consequences of this annual dependence on solar wind parameters to the Earth's magnetosphere were assessed. In this work, as a result of analyzing data from 1973 to 2000, an unexpected asymmetry in shock distribution near I AU is presented. The shock rate was found to be (on a statistics basis) higher in July and November, when Earth was at a heliographic latitude of  $\sim 3$  N. closer to the crossing of the heliomagnetic equator (in June and December) and it was more pronounced in November than in July. This variation was more noticeable in the vicinity of the 1979 and 2000 solar maxima. A detailed analysis of solar wind and interplanetary magnetic field (IMF) parameters was performed. An annual variation that seems to be comparable with the shock rate was found in a wide range of solar wind and IMF parameters. Results show that the second half year presents more favorable propagation conditions for shocks, which could partially explain the observed asymmetry in shock rate. These conditions are lower solar wind bulk speeds and also lower characteristic speeds, both Alfvenic and magnetosonic, when compared to average values. It is also suggested that these peaks in the annual shock distribution are associated with the irregularity observed in the annual variation of very intense magnetic storms found by Clúa de Gonzalez et al. [2001, 2002] in aa, Dst, and AE indices.

# 2. Methodology of Analysis

- [5] The list of 574 shocks used in this study contains shocks that occurred between 1973 and 2000, and it was constructed based on the literature [Abraham-Shrauner and Yun, 1976; Borrini et al., 1982; Cane, 1985; Sheeley et al., 1985; Tsurutani and Lin, 1985; Volkmer and Neubauer, 1985; Richter et al., 1986; Schwenn, 1986; Cane et al., 1987; Marsden et al., 1987; Mihalov et al., 1987; Richardson and Cane, 1993; Gosling et al., 1990; Woo and Schwenn, 1991; Bravo and Pérez-Enriquez, 1994; Bothmer and Schwenn, 1998; Bravo and Blanco-Cano, 1998; Watari and Detman, 1998; Blanco-Cano and Bravo, 2001; International Solar Terrestrial Physics Solar Wind Catalog Candidate Events, available at http://pwg.gsfc.nasa.gov/scripts/ SWCatalog.shtml]. The period prior to 1972 had sparser solar wind observations coverage, and shocks observed in this early period are not used in this work.
- [6] Solar wind daily average data obtained through the OMNIweb database during 1973–2000 have been used in this work in order to calculate the monthly average solar wind parameters: magnetic field strength B, solar wind proton density  $N_p$ , solar wind speed  $V_{\rm sw}$ , and solar wind proton temperature  $T_p$ . Alfvenic and magnetosonic solar wind velocities were calculated based on the solar wind parameter monthly averages.

- [7] Distributions of shocks, solar wind parameters, and geomagnetic indices were analyzed in the entire 1973–2000 period and also during solar maximum and minimum periods, independently. Exception occurs for the AE index, which is used in the period 1973–1994, because after 1994, due to problems in Russian geomagnetic observatories, only provisional values are available. In order to obtain the geomagnetic index intensity distributions the same criteria adopted by Clúa de Gonzalez et al. [2001, 2002] has been used.
- [8] Since the solar cycle descending phase is longer than the ascending phase, it was decided to use 3 years before the solar minimum, the minimum year, and 2 years after it, in order to characterize the solar activity minimum period. On the other hand, to characterize the solar activity maximum period, it was decided to use 2 years before the maximum, the year of maximum, and 3 years later. As a result of this decision, we considered as solar minimum epochs the following periods: 1973–1978 and 1993–1998. The years 1983–1988, considered solar minimum according to this choice, have not been used due to the scarcity of data. As for the solar maxima epochs the considered periods were 1977–1982 and 1998–2000. The years 1977, 1978, and 1998 have been considered as part of solar minimum as well as of solar maximum.

#### 3. Results

#### 3.1. Annual Variation in Shock Occurrence Near 1 AU

- [9] Using the total number of shocks catalogued from the literature in the period 1973-2000, the shock rate monthly distribution percentage near Earth was determined, and it is presented in Figure 1 (top). These shocks were driven for both interplanetary coronal mass ejections (ICMEs) and corotating interaction regions (CIRs). The literature sources do not permit the classification of every shock with a CIR or an ICME driver, but it is well known that the greatest number of shocks at 1 AU is driven by ICMEs, especially during solar maximum period [Schwenn, 1986; Berdichevsky et al., 2000; Echer et al., 2004].
- [10] The occurrence of shocks was expected to be the same every month; that is, 1/12 = 0.083, or that in each month, 8.3% of the total number of shocks of the year occurred. The expected uniform distribution, which approximately coincides with the average value of monthly occurrence of shocks, is shown as a solid line in Figure 1. The top and bottom dotted lines represent the average plus and minus one standard deviation, respectively. Most of the months have a relative number of shocks lower than or comparable to the average/uniform distribution, but July (10.4% of the total number of yearly shocks, slightly above the upper curve of one standard deviation) and November (13.9% of the total annual of shocks; the number of shocks is larger than the mean value plus two standard deviation) have a significantly enhanced shock rate. The second half year has a somewhat higher shock rate than the first half, the integrated shock occurrence being 45.5% in the first half of year and 54.4% in the second half.
- [11] The shock distribution was also determined for solar maximum and minimum periods, independently. Shocks were grouped in solar minimum epochs 1973–1978 (169 shocks) and 1993–1998 (93 shocks) and in

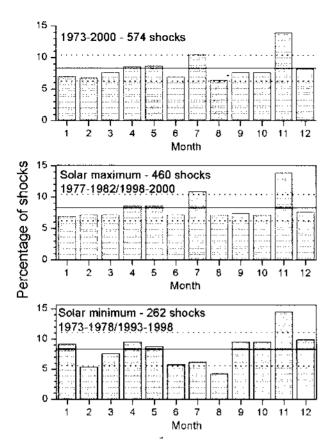


Figure 1. Monthly occurrence of interplanetary shocks near 1 AU. Percentages of shocks per month (top) in the period 1973–2000, (middle) around solar maximum periods, and (bottom) around solar minimum periods are shown. Average and one standard deviation of shock occurrence are indicated by the solid and dotted lines, respectively.

solar maximum epochs 1977-1982 (334 shocks) and 1998 2000 (126 shocks). As pointed out, due to the solar maximum and minimum epoch definition used, these data sets are not mutually exclusive; that is, there is a superposition of years in solar minimum and maximum epochs (1977) 1978 and 1998 years are considered in both periods; neither of these years presents significant peaks in July or November). The number of shocks identified in the period 1983 1992 is very small due to the fact that solar wind measurements were sparse in that period. For this reason this period was not included in solar maximum and minimum averages. Figure 1 (middle) and Figure 1 (bottom) show the distribution of shocks calculated for solar maximum and solar minimum, respectively. It can be seen that during solar maximum the peaks in July and November are present, while during solar minimum, only the peak in November occurs. The occurrence of shocks in July is lower than in other months during solar minimum.

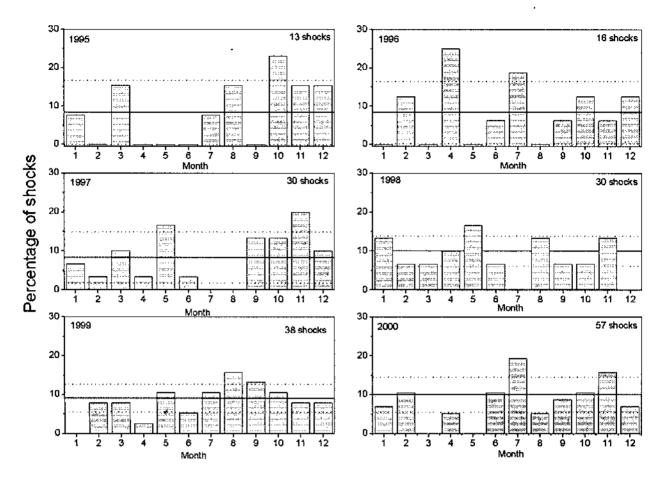
[12] A  $\chi^2$  test was applied to these distributions. The results do not permit the rejection of the null hypothesis of a uniform distribution at the 0.05 significance level. However, these results are not conclusive, because  $\chi^2$  values are high. For 11 degrees of freedom the  $\chi^2_{0.95}$  value is 19.7, while the distribution values are solar minimum ( $\chi^2 = 10.1$ ) and solar

maximum ( $\chi^2 = 5.7$ ); entire period ( $\chi^2 = 5.65$ ). As the peak in November is well above one standard deviation, a real physical cause may be suspected. Furthermore, this distribution has a sporadic character, which means it is not present every year. Figure 2 shows the monthly variation of interplanetary shocks occurrence near 1 AU for successive years for half of one solar cycle: 1995, 1996, 1997, 1998, 1999, and 2000. Years are marked on the left, and the total number of shocks is on the right. The distribution average is indicated by the solid line, while the dotted lines represent average plus and minus one standard deviation. It is seen that individual years can have distributions very different from the total/whole data set. In the examples shown in Figure 2 it is noticed that July peak occurs in 1996 and 2000. Although it is not shown, the July peak was also observed in 1975, 1980, 1982, and 1996 years. Similarly, November peak is more important during some years (1997, 2000, and also in 1975, 1977 (comparable to the September peak), and 1980). During other years the July and November peaks are absent or are not significant (within one standard deviation). This could imply that the physical mechanism responsible by this abnormal occurrence is not continuous or persistent, but is one of a sporadic nature. Large solar activities seem to often occur in July and November. As examples, we could mention the Bastille event (July 2000, (Dst = -301)) and the Halloween events (October November 2003, (Dst  $\sim -400$ )); also, Willis et al. [1997] used the aa index to investigate the largest geomagnetic storms per solar cycle within the period 1844-1993, solar cycles (SCs) 9-22. Among 14 SCs the first maximum in aa index was found to occur in July or November four times: 20 November 1882 (aa = 304.6, SC12), 20 July 1894 (aa = 220.6, SC13), 8 July 1928 (aa = 278.3, SC16), and 13 November 1960 (aa = 352.1, SC19). We could also mention other large events: 12 July 1982 (Dst = -325), 16 November 1989 (Dst = -266), and 4 November 2001 (Dst = -292).

### 3.2. Annual Dependence of Solar Wind Parameters

[13] Figure 3 shows the monthly averages of magnetic field strength (B),  $T_p$ ,  $V_{\rm sw}$ , and  $N_p$  calculated from the OMNIweb data during 1973–2000. Error bars are also shown. One standard deviation, calculated from the monthly averages of all years, is around 1.1 nT for B,  $33 \times 10^3$  K for  $T_p$ ,  $1.8~{\rm cm}^{-3}$  for  $N_p$ , and  $52~{\rm km~s}^{-1}$  for  $V_{\rm sw}$ . The dotted lines on Figure 3 indicate the parameter averages for the period between 1973 and 2000:  $N_p = 9.3~{\rm cm}^{-3}$ ,  $B = 6.7~{\rm nT}$ ,  $V_{\rm sw} = 445~{\rm km~s}^{-1}$ , and  $T_p = 86 \times 10^3~{\rm K}$ . These values are shown in Table 1, conjoint with range variations, for the whole and solar minimum and maximum periods. The observed variations in standard deviation can be accounted for by the solar cycle variations (11- and 22-year) and by the long-term variability, reflecting different solar wind environments [Gazis, 1996; Zieger and Mursula, 1998].

[14] Results presented in Figure 3 indicate a slight asymmetry in solar wind parameters, regarding the first and the second half year. The peak to peak variations (range from the maximum to minimum values) for the parameters are  $\Delta N_p \approx 1.7 \text{ cm}^{-3} \ (\approx 18\%), \ \Delta B \approx 0.8 \text{ nT} \ (\approx 12\%), \ \Delta V_{\rm sw} \approx 37 \text{ km s}^{-1} \ (\approx 8\%), \ \text{and} \ \Delta T_p \approx 16 \times 10^3 \text{ K} \ (\approx 18\%). \ V_{\rm sw}$  and  $T_p$  present higher values during the first half year, decreasing along the remaining months. The opposite happens with



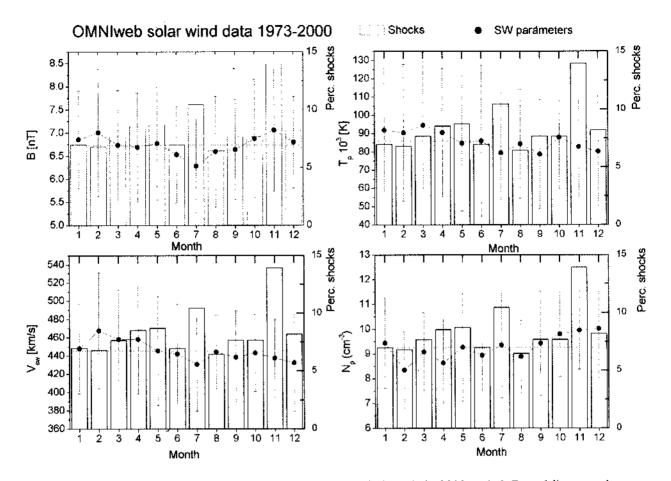
**Figure 2.** Monthly occurrence of interplanetary shocks near 1 AU for 6 sequential years in a half of a solar cycle. Percentage of shocks per months is plotted for 1995, 1996, 1997, 1998, 1999, and 2000. Average and one standard deviation of shock occurrence are indicated by the solid and dotted lines, respectively.

 $N_p$ , which presents lower values during the first half year. While plasma parameters show an annual variation as the predominant behavior for the whole data period, B shows a different variation: a semiannual variation with two maxima (in February and in November) and a deep minimum in July. The qualitative behavior of  $V_{\rm sw}$  is similar to the one found by Zieger and Mursula [1998] during solar minima 1975–1976 and 1994–1995, probably because solar wind observations are sparser during the alternate solar cycle minima in the 1960s and in the 1980s.

[15] Figure 4 shows an idealized representation of the geometry of the Sun in relation to the Earth according to the epoch of the year. Because of the 7.2° inclination of the Sun's axis of rotation relative to the ecliptic plane, during the course of 1 year the rotational Sun's axis is differently seen by the Earth. The Earth's heliolatitude is maximum in early September, minimum in early March, and zero at the beginning of June and December. This causes an observer on the Earth to be located above or below the Sun's equator depending on the time of year. Consequently, Earth is exposed each half year to different solar hemispheres, which are known to have opposite magnetic polarities that reverse each ~11-year solar cycle.

It is known that  $V_{\rm sw}$  increases by 2–10 km s<sup>-1</sup> per degree of latitude away from the solar equatorial plane [Newkirk and Fisk, 1985; Bolton, 1990], and a symmetrical semiannual variation should be expected. From Figure 3 a minimum in  $V_{\rm sw}$  is observed around July, but the "second peak" (September) of the expected semiannual variation in  $V_{\rm sw}$  is absent.

[16] The difference in plasma parameters observed during the two half years are indicative of difference in solar magnetic hemispheres. Furthermore, as the annual variation is present mainly in alternate solar minima, when a given solar hemisphere has the same magnetic polarity, the observed asymmetry is between the positive and negative solar magnetic poles. It is well known that the global magnetic field changes its polarity around solar maximum (the 22-year Hale solar magnetic cycle). In order to have data related to the same polarity of solar magnetic field, or the same Hale 22-year solar cycle phase, we obtained the annual distribution of solar wind parameters for intervals from a solar maximum to another. The obtained distributions can be seen in Figure 5. A semiannual variation is clearly seen for  $V_{\rm sw}$  for the period 1980 - 1989, while for the other two studied periods an annual variation should better



**Figure 3.** Monthly averages of solar wind parameters during 1973–2000 period. Dotted lines are the averages for the whole period. Shock distribution is also plotted, as column bars.

describe the behavior. The annual variation shape in solar wind speed was shown by *Zieger and Mursula* [1998] to be different from one phase to another in the Hale 22-year solar cycle.

[17] Figure 6 shows the solar wind parameter variations for the different solar cycle minimum and maximum epochs mentioned above. Differences can be seen between solar maximum and minimum, both in the absolute values of parameters (reflecting different phases and different 11- and 22-year solar cycles) and in the profiles. During solar maximum the profiles are more irregular for all parameters. These findings confirm the ones reported by *Zieger and Mursula* [1998] regarding the annual variations of solar wind speed. It can be seen that around solar minimum, solar wind parameters show a very clear annual variation, while around solar maximum they have a highly irregular behavior. A semiannual variation is observed for *B* profiles, with minimum around July and peaks in February and November, for both epochs.

[18] Results presented in Figures 3 and 6 are summarized in Table 1. Average values and peak to peak variation (between parentheses) are shown for the whole period and also for solar minimum and maximum periods. From Table 1 it can be seen that solar wind plasma parameters, on average, are higher during solar minimum, except for B, which is higher during solar maximum. Ranges of variation

are as follows for solar maximum (minimum): in B, 12.3% (11.3%); in  $T_p$ , 37% (33%); in  $N_p$ , 26% (16%), and in  $V_{\rm sw}$ , 8.6% (12%).

[19] Linear correlation coefficients between shock rate and solar wind parameters for the whole period are low:  $-0.42 (V_{\rm sw})$ ,  $-0.38 (T_p)$ ,  $+0.49 (N_p)$ , and +0.16 (B). These low correlation coefficients indicate that the solar wind parameter variations are not the whole explanation of shock distribution. Linear correlation coefficients between solar wind parameters and shock rate are usually higher in solar minimum than in solar maximum.

[20] During solar maximum (minimum), correlation coefficients with shock rate are as follows: for B,  $\pm 0.28$  ( $\pm 0.51$ ); for  $T_p$ ,  $\pm 0.26$  ( $\pm 0.42$ ); for  $N_p$ ,  $\pm 0.13$  ( $\pm 0.53$ ), and for  $V_{\rm sw}$ ,  $\pm 0.14$  ( $\pm 0.34$ ). A direct physical significance can be attributed to the anticorrelation observed between shock rate and

Table 1. Averages and Ranges for Solar Wind Parameters

Parameters	Averages (Ranges)			
	1973 2000	Solar Minimum	Solar Maximum	
$\frac{V_{\text{sw}}}{T_{I'}} \leftarrow N_{p}$	445 (37) km s $^{1}$ 86 (16) × $10^{3}$ K 9.3 (1.7) cm $^{3}$	$450 (55) \text{ km s}^{-1}$ $90 (30) \times 10^{3} \text{ K}$ $9.2 (1.5) \text{ cm}^{-3}$	$420 (36) \text{ km s}^{-1}$ $76 (28) \times 10^3 \text{ K}$ $8.7 (2.3) \text{ cm}^{-3}$	
B	6.7 (0.8) nT	6.1 (0.7) nT	7.0 (0.9) nT	

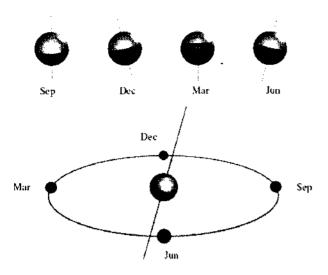


Figure 4. Illustrative sketch of the Sun-Earth geometry during 1 year. (top) A "view" of the Sun by Earth in different epochs of year is shown. Around the beginning of March the solar southern hemisphere is more visible, while around the beginning of September the solar northern hemisphere is more visible. (bottom) Around the beginnings of June and December, Earth is crossing the solar equator. Solar rotation axis is represented in figures. Inclined and shaded plane is the heliographic equator (approximately the heliomagnetic), while the celiptic plane is delimitated by the Earth's orbit.

 $V_{\rm sw}$  in the entire period and during solar minimum (despite a very low positive correlation in solar maximum), because it is expected that when the solar wind speed is lower, there is a higher probability of shock formation. The other plasma parameters are not directly connected to shock formation. However, they are relevant when defining the characteristic speeds.

[21] Linear correlation coefficients between different pairs of monthly average of solar wind parameters are shown in Table 2, for the whole period and for the solar maximum and minimum epochs (data from Figures 3 and 5). The highest correlations are obtained between  $V_{\rm sw}$  and  $N_p$  and  $V_{\rm sw}$  and  $T_p$ . Except for the correlations including B, they are higher during solar minimum than solar maximum. This can be explained by the irregular variations seen during solar maximum period contrasted with the smooth variations during solar minimum. Correlations between B and solar wind plasma parameters are less significant, lower than 0.5.

[22] The  $T_p$  and  $V_{\rm sw}$  correlated and the  $N_p$  and  $V_{\rm sw}$  anticorrelated variations were expected. It has been observed that along a solar cycle,  $N_p$  is more or less constant, while  $T_p$  variations are correlated with  $V_{\rm sw}$  [Gazis, 1996]. The origin of this behavior is not fully understood, although it has been suggested that the  $T_p$ - $V_{\rm sw}$  correlation should be accounted for by the distance from the heliospheric current sheet, HCS [Gazis, 1996; Smith, 2001]. The HCS separates regions of the solar wind where the magnetic field points toward or away from the Sun. The heliospheric current sheet persists into the outer heliosphere and is responsible

for both local and global phenomena in the solar wind. Moreover, for a uniform plasma density at the base of the corona, easier escape of the plasma particles will cause the plasma density on open field lines to be smaller (and the outflow speed larger) than on closed field lines at the same distance from the Sun. Close to the heliospheric plasma sheet of the HCS,  $N_p$  values are higher and  $V_{\rm sw}$  are lower [Winterhalter et al., 1994]. Thus if the distance to the HCS really influences the average solar wind plasma parameters, it is expected for  $V_{\rm sw}$  and  $N_p$  to be anticorrelated.

[23] Differences in the behavior of solar wind parameters during solar maximum and minimum can be easily seen in Figure 6. It is observed that magnetic field strength is higher during solar maximum than during solar minimum, but plasma parameters are higher during solar minimum. It might be expected from the anticorrelation between  $N_p$  and  $V_{\rm sw}$  that their solar cycle behavior should be different, with higher  $V_{\rm sw}$  coincident with lower  $N_p$ , but this is not observed in Figure 6. However, it is well known that this anticorrelation over short timescales does not seem to be maintained along a solar cycle period [Gazis, 1996].

[24] These results and the ones seen in Figure 3 show that the annual variation found by *Zieger and Mursula* [1998], although stronger and visible in alternate solar cycle minima, is visible even by taking averages along solar minimum or in the whole solar wind observational periods. This implies that the amplitude of the annual variation is stronger than the irregular variation amplitudes seen in other periods.

[25] Variations in plasma and magnetic field parameters could have implications in the solar wind propagation conditions and consequently in shock formation. The lower  $V_{\rm sw}$  found in second half year can be particularly favorable to shock formation. The necessary condition of shock formation is that the velocity difference between the wave (shock) driver and the background medium should be higher than the characteristic medium speed. Also, B and  $N_p$  variations can have important influence on shock formation since they define the characteristic speeds of the medium. Alfvenic and magnetosonic speeds of the solar wind have been then calculated from the monthly average parameters. The Alfvén speed is calculated from [Kennel et al., 1985]

$$V_A = \frac{B_1}{\sqrt{\mu_o \rho_1}},\tag{1}$$

[26] In equation (1),  $B_1$  is the total magnetic field, and  $\rho_1$  is the plasma density in the upstream side. The magnetosonic wave speed is given by

$$V_{\text{MS}} = \left\{ (1/2) \left( V_A^2 + C_S^2 \right) \pm \left[ \left( V_A^2 + C_S^2 \right)^2 - 4 C_S^2 V_A^2 \cos^2 \left( \alpha \right) \right]^{1/2} \right\}^{1/2}, \tag{2}$$

where  $C_s$  is the sound speed and  $\alpha$  is the angle between the propagation direction of the wave and the environmental upstream magnetic field. Only the positive solution (signal plus sign) is used in order to obtain the fast-mode magnetosonic speed. In the case of the magnetosonic wave steepening in shock wave,  $\alpha$  would be the angle between the shock normal and  $\mathbf{B}_1$ . Three angles were taken to

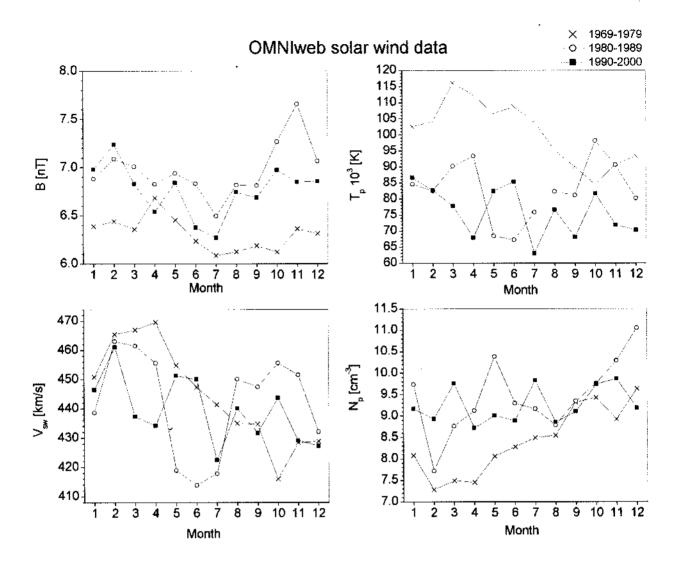


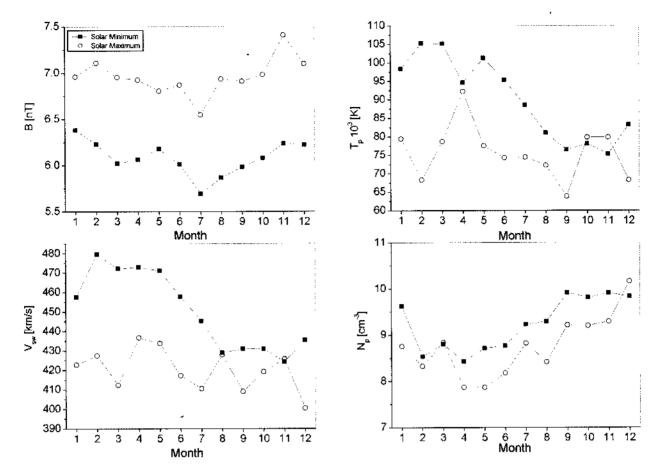
Figure 5. Monthly averages of solar wind parameter for solar cycles defined from one maximum to another: 1969–1979, 1980–1989, and 1990–2000.

calculate  $V_{\rm MS}$ :  $\alpha = 0^{\circ}$ ,  $\alpha = 45^{\circ}$ , and  $\alpha = 90^{\circ}$ , encompassing parallel, oblique, and perpendicular shocks, respectively.

[27] Figure 7 shows the 1973-2000 average profiles for solar wind characteristic speeds. Notice that every characteristic speed shows a trend to be lower during the second half year. A maximum is observed around February and a deep minimum around July. Although for November the values are not very different from the average, there is a minimum in December. The relative annual variation for  $V_A$  and  $V_{\rm MS}$  is around 10-15%. These lower values in July could be used to explain the shock rate peak. In general, the second half year shows lower characteristic speeds than the first half, which can be indicative of more favorable shock formation conditions.

[28] Distributions of solar wind characteristic speeds were also determined for solar minimum and maximum periods and are shown in Figure 8. The profiles are observed to be more irregular around solar maximum years because of the irregularities in solar wind parameter distributions. Nevertheless, low values are seen around July for every characteristic speed, while for November the values are not so low.

Solar maximum characteristic speeds were observed to be slightly higher than during solar minimum. This could imply easier shock formation conditions during solar minimum, if shocks were expected to occur with the same frequency and strength as during solar maximum; actually, however, the number of shocks is known to vary in phase with the solar cycle [Webb and Howard, 1994]. For solar minimum period, variations were observed to be smoother than for solar maximum, as expected from the observed solar wind variation, with a minimum in July for  $V_A$  and  $V_{\rm MS}$ . While solar maximum parameters had a variation with a minimum in July, for solar minimum, second half year values are lower than first half year, similar to the whole period (Figure 8). Characteristic speeds are higher during solar maximum than in solar minimum. Average values for solar maximum (solar minimum) are  $V_A = 52$  (44) km s<sup>-1</sup>.  $V_{\rm MS}$  (0°) = 60 (48) km s<sup>-1</sup>,  $V_{\rm MS}$  (45°) = 69 (63) km s<sup>-1</sup>, and  $V_{\rm MS}$  (90°) = 75 (69) km s<sup>-1</sup>. This implies easier shock formation conditions during solar minimum. A similar result was found in a previous work [Echer et al., 2003] when a comparison between shock parameters during solar



**Figure 6.** Monthly averages of solar wind parameters around solar minimum (1973–1978, 1993–1998, line with solid squares) and solar maximum (1977–1982 and 1998–2000, line with open circles) periods.

minimum 1995–1996 years and maximum 2000 year was done. In that work it was observed that the Alfvenic Mach number of shocks was, on average, similar during solar maximum and minimum years. This occurs because, despite the higher shock speeds during solar maximum, the higher  $N_p$  values during minimum makes  $V_A$  lower during solar minimum and the formation of shocks easier.

# 3.3. Annual Variation in Very Intense Geomagnetic Activity

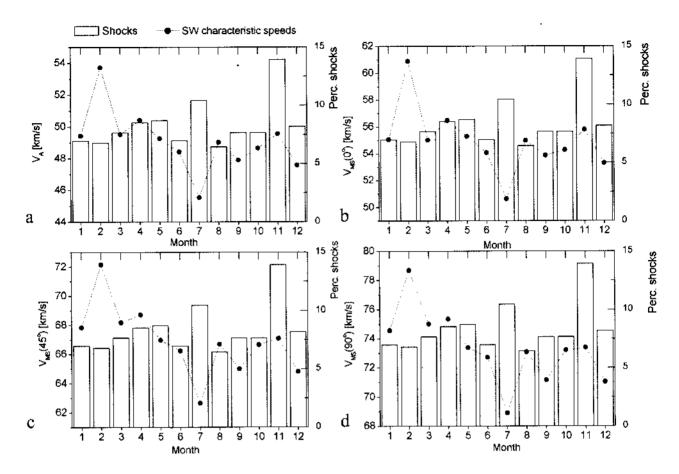
[29] The geomagnetic activity has a very well known semiannual variation, with peaks around equinoxes [Russell and McPherron, 1973]. Three mechanisms are taken into account to explain the variations: the axial, the equinoctial, and the Russell-McPherron hypothesis. Nevertheless, Clúa de Gonzalez et al. [2001, 2002] have shown that the distribution of occurrence of intense storms shows deviations from this behavior, with additional peaks in July and in November. Figure 9 shows a comparison of the seasonal variation of interplanetary shocks occurrence and intense geomagnetic activity during 1973-2000: Figure 9 (top), number of days per month for  $aa \ge 90$  to  $aa \ge 150$  levels; Figure 9 (middle), number of geomagnetic storms considering Dst peak  $\leq -150$  to  $Dst \leq -190$  nT levels; and Figure 9 (bottom), number of events with  $AE \ge 1700$  nT during 1973-1994. Geomagnetic indices are represented by

the line with different symbols related to the levels of activity while the shock occurrence is the bar diagram graph. Notice that for this interval, shorter than the whole period calculated by  $Cl\acute{u}a$  de Gonzalez et al. [2001, 2002], the number of points is reduced and the correlations are then less significant. Particularly, the levels of aa > 180 and aa > 210, considered by  $Cl\acute{u}a$  de Gonzalez et al. [2001, 2002], had such a small number of points (nine and three, respectively) that they are not shown here.

[30] For the period analyzed in this paper, the July peak is clearly visible for all indices, being more pronounced for the AE index. For the aa and Dst indices the semiannual variation is predominant, although an increase in the number of events that occurred in July can be observed when the index threshold is increasing. The November peak is also

Table 2. Linear Correlation Coefficients Between Solar Wind Parameters

Parameters	1973 - 2000	Solar Minimum	Solar Maximum
$V_{sw}XN_p$	-0.76	-0.89	-0.78
$V_{\rm sw}^{\prime\prime}XT_{p}^{\prime\prime}$	÷0.83	+0.96	+0.59
$V_{\rm cm}XB$	+0.40	+0.21	+0.11
$N_{\nu}\lambda T_{\nu}$	0.48	-0.81	-0.42
$N_o X B$	+0.16	+0.12	+0.38
$T_{p}^{\prime}XB$	-0.38	+0.22	+0.01



**Figure 7.** Monthly averages of solar wind characteristic speeds during the 1973-2000 period. (a) Alfvén speed, magnetosonic speed for assumed three different angles between the wave front and the background magnetic field: (b)  $0^{\circ}$ , (c)  $45^{\circ}$ , and (d)  $90^{\circ}$ . Shock distribution is also plotted, as column bars.

observed for the AE index; when increasing the aa threshold, it starts to be comparable to the September and March equinoctial peaks (aa > 150). The November peak is not present for the Dst index. The mechanism responsible for this anomalous distribution is not known, but a possible explanation was considered to be a hemispheric/seasonal asymmetry in ionospheric conductivity [Clúa de Gonzalez et al., 2001]. Sonnemann [2002] refers to these irregularities as geomagnetic singularities and attributes its origin to atmospheric asymmetries.

[31] Nevertheless, the peaks in the shock annual distribution in July and November are coincident with the peaks in the very intense geomagnetic activity (as shown for aa > a150 and AE > 1700), which could indicate a causal mechanism. Shocks are a proxy of geoeffective interplanetary structures, fast interplanetary coronal mass ejections and/or magnetic clouds [Gonzalez et al., 1999]. Further, intense fields can occur in the sheath region, behind the shock, and be responsible for intense magnetic storms. Particularly, it has been shown that most of the very intense geomagnetic storms ( $Dst \le -200 \text{ nT}$ ) are associated with or caused by fields in the sheath region, originated from compression mechanisms [Tsurutani et al., 1992]. As a consequence, since after a shock the solar wind plasma is compressed and the magnetic field is intensified, the energy transfer between solar wind and magnetosphere is modified. causing a larger number of intense magnetic activity events as indicated by geomagnetic indices. Since the irregular peaks in geomagnetic activity are also a statistical effect, not occurring every year, the sporadic higher rate of interplanetary shocks in July and November during some years could account for a higher number of intense geomagnetic storms during the same years in July and November.

[32] The peaks in the very intense geomagnetic activity recorded by aa and AE could be explained not only by intense and long duration southward magnetic fields, but also by effects of the strong compression of magnetosphere by shocks. The intensification of magnetospheric currents (magnetopause, field-aligned, cross tail) can occur due to a jump in the solar wind dynamic pressure. There are also recent evidences that substorms are triggered by shocks [Tsurutani and Zhou, 2003; Zhou and Tsurutani, 2001, 2002].

[33] Geomagnetic indices variation does not follow quite well the interplanetary shock occurrence variation (Figure 9), but the peaks in July and also in November (less clear for *Dst*) in geomagnetic activity have a correspondent peak in shock occurrence. It can not be expected that the shock annual distribution explains the whole yearly variation in geomagnetic activity, since the semiannual signal is still the main characteristic. Correlation coefficients are very low for most of the levels, being higher only for more intense

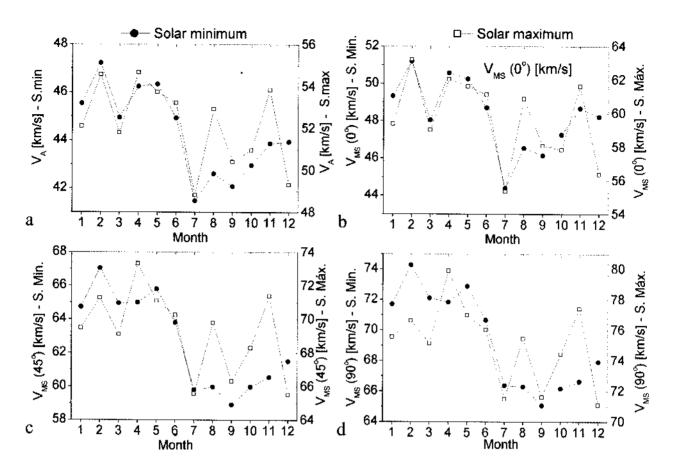


Figure 8. Monthly averages of solar wind characteristic speeds for solar minimum and maximum periods. Panels are: (a) Alfvén speed, magnetosonic speed for assumed three different angles between the wave front and the background magnetic field: (b) 0°, (c) 45°, and (d) 90°.

magnetic activity. Linear correlation coefficients more significant are 0.48 and 0.39 for aa > 120 and aa > 150 levels, 0.42 for AE > 1700, and 0.22 for  $Dst \le -190$  nT level. For the other levels, coefficients were lower than 0.1. This result implies that the shock rate distribution can at most explain a small part of the geomagnetic activity variation: <20% (highest r = 0.48) along the entire year.

# 3.4. Possible Solar Contribution

[34] Solar activity variations exhibit themselves in electromagnetic radiation from radio frequencies of a few kilohertz to powerful gamma rays and also in particle flux. In particular, these variations can be quantified by the H. flare index, which can be represented by Q = it, where i represents the intensity scale of importance of a flare in H<sub>0</sub>, and t represents the duration in  $H_{\alpha}$  (in minutes) of the flare [Özgüç et al., 2002]. This quantitative index may be roughly proportional to the total energy emitted by the flare. Using data available from National Oceanic and Atmospheric Administration/National Geophysical Data Center, we constructed the annual variation for the H., flare index for the same periods we have obtained the shock rate. Results are shown in Figure 10. It is interesting to observe the presence of peaks in July and November for the whole period and also for the solar maximum period. For solar minimum period, only the November peak is present. The

annual behavior of the  $H_{\alpha}$  flare index is very similar to the annual shock rate. Since the  $H_{\alpha}$  flare index is a measure of the total energy emitted by the flare, maybe the November peak is more related to the Sun activity. This result might imply a solar activity contribution to the shock formation. However, CMEs and not flares are known to be the shock drivers, and, since flares and coronal mass ejections are not always related [Gosling, 1993], it would be necessary to assess the CMEs' rate annual variation to test if this distribution is also observed.

# 4. Discussion and Conclusions

[35] In this section, the possible causes for the observed asymmetry in shock rate near 1 AU are discussed. It is suggested that this asymmetry may have different sources of explanation. Our results show that one of the reasons is linked to the solar wind parameter annual dependence. Solar wind plasma parameters,  $V_{\rm sw}$ ,  $T_p$ , and  $N_p$ , show clearly an annual variation for the whole analyzed period and for the solar minimum periods (Figures 3 and 6). Solar wind speed tends to be higher around March equinox than around September equinox, especially during alternate solar minimum periods [Zieger and Mursula, 1998]. As a consequence the solar wind emitted from north and south solar hemispheres will present different properties, reflected

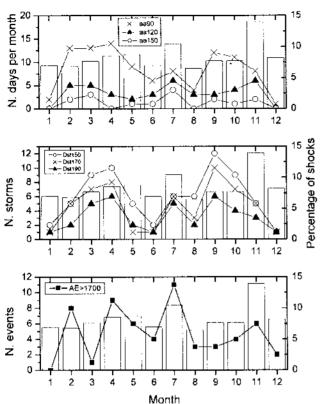


Figure 9. Comparison of the seasonal variation of interplanetary shocks occurrence and intense geomagnetic activity during 1973-2000: (top) aa levels ( $aa \ge 90$  to  $aa \ge 150$ ); (middle) Dst peak  $\le -150$ , -170, and -190 nT; and (bottom) AE > 1700 nT (1973-1994). Geomagnetic indices are represented by the line with different symbols for different levels of activity, while the shock occurrence is column bars.

on solar wind parameters, as can be seen in Figures 3, 5, and 6.

[36] Earth's orbit has its aphelion during July (1.017 AU =  $152.1 \times 10^6$  km) and its perihelion during January (0.98 AU =  $147.1 \times 10^6$  km). The average distance or 1 AU is  $149.6 \times 10^6$  km. Using the model of Parker for the steady solar wind expansion [Parks, 1991], magnetic field varies as  $B \sim 1/r^2$ , and we obtain  $B_{\rm aph}/B_{\rm IAU} = 1.034$  and  $B_{\rm per}/B_{\rm IAU} = 0.967$ , the total difference being of order of 7%. This first approximation gives then a variation in B near Earth's orbit due only to the varying radial Sun-Earth distance. Comparing these calculated results with the observed variations, it can be noticed that the radial dependence is able to explain part of B variations. The observed enhanced variation from aphelion to perihelion is  $\Delta B \approx 5\%$ . Other factors should be operating, such as the heliographic dependence of Earth's orbit.

[37] Considering the above discussion, it is possible to say that the solar wind parameter annual dependence have the following as possible causes: the radial dependence because of the varying Sun-Earth distance (for B) and the heliographic latitude (Earth is at its maximum angular distance ( $\sim$ 7°) from solar equatorial plane and thus more closely aligned with both the sunspot zone and coronal

holes that extended down from the solar poles, around equinox)

[38] The lower solar wind and characteristic speeds observed in the second half year, for the whole period analyzed in this paper and for the solar minimum periods (Figures 3 and 6), suggest an asymmetric propagation condition in heliosphere, close to Earth's orbit. This could determine more favorable conditions for shock formation during the second half year. Interplanetary ejecta can drive a shock if its relative speed to the solar wind is larger than the characteristic speed of the medium ( $V_d$  and  $V_{MS}$ ). If ejecta are emitted by the Sun at the same rate every month of the year, with the same intensity and velocity, then the relative speed of interplanetary ejecta will depend only on solar wind speed. Thus one can expect that in the second half year the relative speed between ejecta and solar wind will be larger, because of the lower solar wind speed. The other plasma parameters also vary in a way of causing lower  $V_A$ and  $V_{\rm MS}$  in the second half year. All this implies that shock formation should be easier in the second half year. Particularly, in July, the characteristic speeds of the medium are much lower when compared to the other months, for the whole period analyzed in this paper (Figure 7) and for the solar maximum periods (Figure 8). However, this particular is not observed for the minimum periods (Figure 8), which

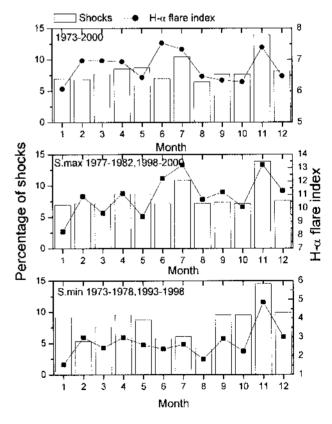


Figure 10. Comparison of the seasonal variation of interplanetary shocks occurrence and the  $H_{\alpha}$  flare index during 1973–2000; (top) 1973–2000; (middle) solar maximum, 1977–1982, 1998–2000; and (bottom) solar minimum; 1973–1978, 1993–1998.  $H_{\alpha}$  flare index is represented by the line with solid circle points, while the shock occurrence is column bars.

shows a lower solar wind speed during the entire second half-year period. All these arguments of more favorable conditions for driving a shock could explain the shock rate peak observed in July, but not the November peak, which has as a possible factor for easier shock formation only lower than average solar wind speeds. However, the annual variation of H<sub>1</sub>, flare index clearly presents a peak in November, reflecting a larger amount of energy been emitted from the Sun. This might imply a higher fast CME rate driving interplanetary shocks, but a future investigation is necessary to assess this point.

[39] Linear correlation coefficients between shock rate (SR) and characteristic speeds were obtained, and the results indicate negative and low correlations: SR  $\times V_A$ , r = -0.23;  $SR \times V_{MS}(0^{\circ}), r = -0.20; SR \times V_{MS}(45^{\circ}), r = -0.28; SR \times V_{MS}(45^{\circ}), r = -0.2$  $V_{\rm MS}$  (90°), r=-0.29. The negative correlation is expected, because the SR will be higher when the characteristic speed is lower. However, the coefficients are very low, indicating that <10% of SR distribution could be explained by a linear dependence on characteristic speeds only. The correlation between SR and  $V_{\rm sw}$  is slightly higher, r = -0.42 (lower solar wind speeds, more favorable shock formation conditions). By taking a multiple linear correlation of SR with  $V_{\rm MS}$  (45°) and  $V_{\rm sw}$ , one has  $r^2 = 0.26$  (r = -0.51), implying that 26% of the SR annual distribution can now be explained by a linear dependence of both the solar wind speed and the magnetosonic speed. This indicates that 75% of SR variance is yet not explained, which just shows how complex the problem is. At the same time it is remarkable that when one takes long-term averages it is possible to have an explanation of 25% of variance by these simple considerations. Irregularities in the solar wind and the coronal mass ejection rate from the Sun (as well as other possible solar sources of shocks: blast waves, interaction regions) are processes not being taken into account in these analyses.

[40] The annual variation in the heliospheric current sheet close to the Earth can be observed by the variation in the polarity structure of the sectors as reported by Wilcox and Scherrer [1972] and Rosenberg and Coleman [1969]. The predominant B polarity should be the same as the solar polar region pointed to the Earth and should be reverted around 7 June and 7 December. The occurrence of sector boundary crossings (SBC) also shows a semiannual variation [Sawyer, 1974], with more sectors per rotation in May-June and in November - December, which are periods when Earth is crossing the heliospheric equator and which are approximately the periods with more shocks. Nevertheless, it is important to consider that the model of a flat, well behaved HCS is valid only during solar minimum, because during solar maximum the heliosphere is highly disturbed, and the HCS is known to have an irregular pattern, with large amplitude warps/waves. Furthermore, it was recently shown that the annual variation in the B polarity is present only during the rising solar cycle phase, being absent in the descending phase [Echer and Svalgaard, 2004].

[41] Mendoza and Pérez-Enríquez [1995] have studied the storm sudden commencements (SSC) variations and they have determined that SSC events tend to accumulate around the day of the Earth's crossing of the HCS (sector boundary crossing). They also observed that around 40 50% of SSC events and sudden impulses (SI) occur within

the first day from SBC. As SSC and SI are mainly caused by interplanetary shocks, these results indicate that many shocks occur when Earth is close to the HCS. Also, the HCS is the preferential region where ICMEs occur. Fengui and Dryer [1991] analyzed 149 shocks associated to flares and also observed that these shocks tend to propagate to the low heliolatitude/solar equator; they have also noticed that the faster propagation direction tends to be close to HCS around 1 AU. Eselevich and Filippov [1988] suggested that the Alfvenic velocity is low close to and inside the HCS around 3 solar radiuses. Thus the supermagnetosonic shock speed would be more probable to be reached in this region than in other heliolatitudes. These results suggest that an easier shock formation might occur in the proximity of the HCS, and this process could result in lower solar wind speeds and higher proton density observed in the heliospheric plasma sheet of the HCS [Winterhalter et al., 1994].

[42] Another possibility to be taken into account to explain the observed annual variation of SR could be some internal process in the Sun. For instance, there are suggestions that major solar flares are not random on the solar surface but are concentrated in active zones or hot spots [Bai, 1990]. The small changes in Alfvenic/magnetosonic parameters may be not enough to account for SR variation, and this variation may be associated with changes at or near the solar wind source region. Perhaps CMEs associated with shocks were simply more common at low southern heliographic latitudes around July in solar maximum periods, either because CMEs themselves were more common or CMEs were more likely to produce significant shocks that were observable at 1 AU. The  $H_{\alpha}$  flare index annual distribution presents a good agreement with shock distribution, providing a hint of a solar contribution. An analysis of the CMEs and other solar sources generating shocks in the last decade would be necessary to test the case of a solar source variation. Nevertheless, if a solar annual variation is also confirmed, it opens another question, namely which is the cause of solar flares (and maybe CMEs) to have an annual dependence.

[43] In summary, an unexpected annual variation in interplanetary shock rate near Earth's orbit was found in this study, with preference occurrence (statistically) in July and November, when Earth was at heliographic latitude of ~3°N, and it was more pronounced in November than in July. This variation was more noticeable in the vicinity of the 1979 and 2000 solar maxima. A detailed analysis of solar wind and IMF parameters was performed. The annual variation was found to be comparable with the shock rate in a wide range of solar wind and IMF parameters. Results show that the second half year presents more favorable propagation conditions for shocks, which could partially explain the observed asymmetry in shock rate. These conditions are lower solar wind bulk speeds and also lower characteristic speeds, both Alfvenic and magnetosonic. when compared to average values. Besides solar wind variation the similar variation in shock rate and H<sub>o</sub> flare index might imply a solar origin contribution to shock variation. Furthermore, the peak in very intense geomagnetic storms found by Clua de Gonzalez et al. [2001, 2002] in July and November could be accounted for by this shock rate distribution. It is suggested that further studies should be conducted, both observational and theoretical/modeling,

in order to assess this solar wind asymmetry, which seems to have origin in slight differences in opposite solar magnetic hemispheres.

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- B. T. Tsurutani, Jet Propulsion Laboratory, California Institute of Technology, MS 169-506, 4800 Oak Grove Drive, Pasadena, CA 91109-8099, USA.